

Casio Working with Matrices



WHEN IN DOUBT, EXIT OUT.

Example: $A = \begin{bmatrix} -2 & 3 \\ 4 & -5 \end{bmatrix}$ $B = \begin{bmatrix} -5 & 1 \\ 2 & -2 \end{bmatrix}$

1. **MENU**
2. Go to **MAT** and **EXE**.
3. Push **F2** for DEL-A to delete all previously used data.
4. Highlight MAT A and type **2 EXE 2 EXE**.
The arrow buttons may be used to move from matrix to matrix.
Each matrix must be defined by dimension first. (Number of rows and number of columns)
5. An empty matrix A will appear so that you input each element.
Type **-2 EXE 3 EXE 4 EXE -5 EXE**. The completed matrix A will appear.
6. Push **EXIT**.
7. Highlight MAT B and type **2 EXE 2 EXE**.
8. A new matrix B will appear so that you input each element as in step 5.
9. Push **EXIT**.

Matrices are written in the **MAT** window but operations on matrices are performed in the **Run** window using the **OPTN** key. It is helpful to input all matrices before going to the Run window. Once you are in the Run window and have used **OPTN** once, you can clear with **AC** and eliminate some of the steps.

Each matrix must be preceded by **MAT** and the remainder of the operations is the same as always.

10. Push **MENU**.
11. Go to **RUN** and **EXE**.
12. Push **OPTN**.
13. Push **F2** for MAT.

14. To compute $A + B$,
Push **F1** for Mat then **ALPHA, A + F1** for Mat **ALPHA, B** AND **EXE**.

The answer will appear. $\begin{bmatrix} -7 & 4 \\ 6 & -7 \end{bmatrix}$

15. Find $\begin{vmatrix} -2 & 3 \\ 4 & -5 \end{vmatrix}$. (The determinant of A)

16. Since you are already in RUN, just type **F3** for Det, **F1** for Mat, **ALPHA, A, EXE** The answer is -2.

Otherwise you would need to use

MENU, RUN, EXE, OPTN, F2 for MAT, **F3** for Det, **F1** for Mat, **ALPHA, A, EXE** The answer is -2.

17. Find A^{-1} . (The inverse of A)

18. Since you are already in RUN, just type **F1** for Mat, **ALPHA, A, SHIFT, X⁻¹** above the), **EXE**.

The answer will appear. $\begin{bmatrix} 2.5 & 1.5 \\ 2 & 1 \end{bmatrix}$

Otherwise you would need to use

MENU, RUN, EXE, OPTN, F2 for MAT, **F1** for Mat, **ALPHA, A, SHIFT, X⁻¹, EXE**.

The answer will appear. $\begin{bmatrix} 2.5 & 1.5 \\ 2 & 1 \end{bmatrix}$



Practice Problems

$$A = \begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix} \quad B = \begin{bmatrix} 2 & 1 \\ -7 & 5 \end{bmatrix} \quad C = \begin{bmatrix} -2 & 4 & 7 \\ 5 & -3 & 6 \\ -8 & 2 & -1 \end{bmatrix}$$

Solutions

- | | | |
|----|----------------------|---|
| 1. | $A + B$ | $\begin{bmatrix} 3 & 3 \\ -4 & 9 \end{bmatrix}$ |
| 2. | The determinant of C | -252 |

3. A^{-1} $\begin{bmatrix} -2 & 1 \\ 1.5 & -0.5 \end{bmatrix}$

4. $5A+B$ $\begin{bmatrix} 7 & 11 \\ 8 & 25 \end{bmatrix}$

5. AB $\begin{bmatrix} -12 & 11 \\ -22 & 23 \end{bmatrix}$

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